

# Diagnosing Plasma Heating and Particle Acceleration in Space and Astrophysical Plasmas

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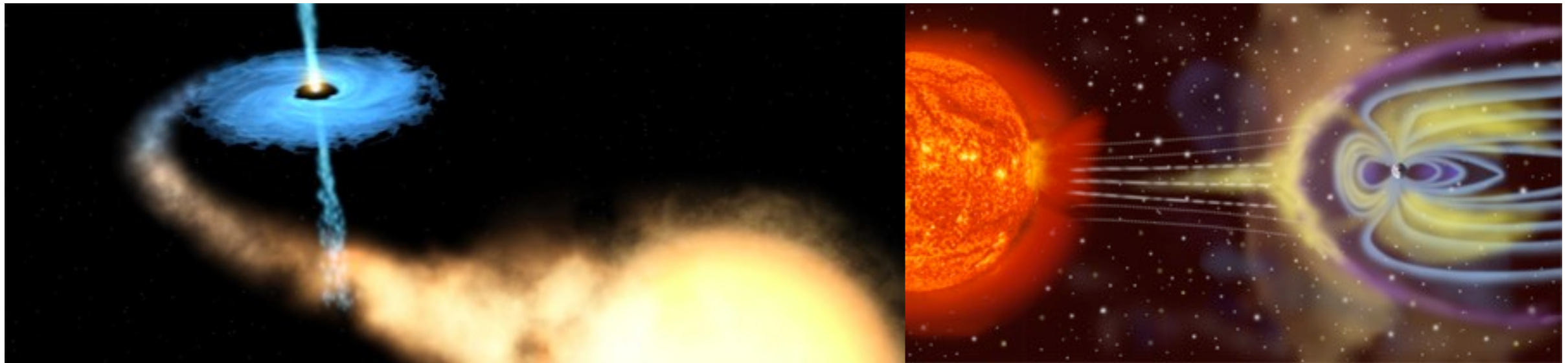
NASA and White House Office of Science and Technology Policy (PECASE)  
National Science Foundation CAREER Award  
National Science Foundation XSEDE Program  
Department of Energy

# Outline

- Astrophysical Plasma Heating and Particle Acceleration
- Particle Energization in Weakly Collisional Plasmas
- Particle Energization in Kinetic Plasma Theory
- Numerical Demonstration of Field-Particle Correlation Technique
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- Conclusions

# Plasma Heating and Particle Energization

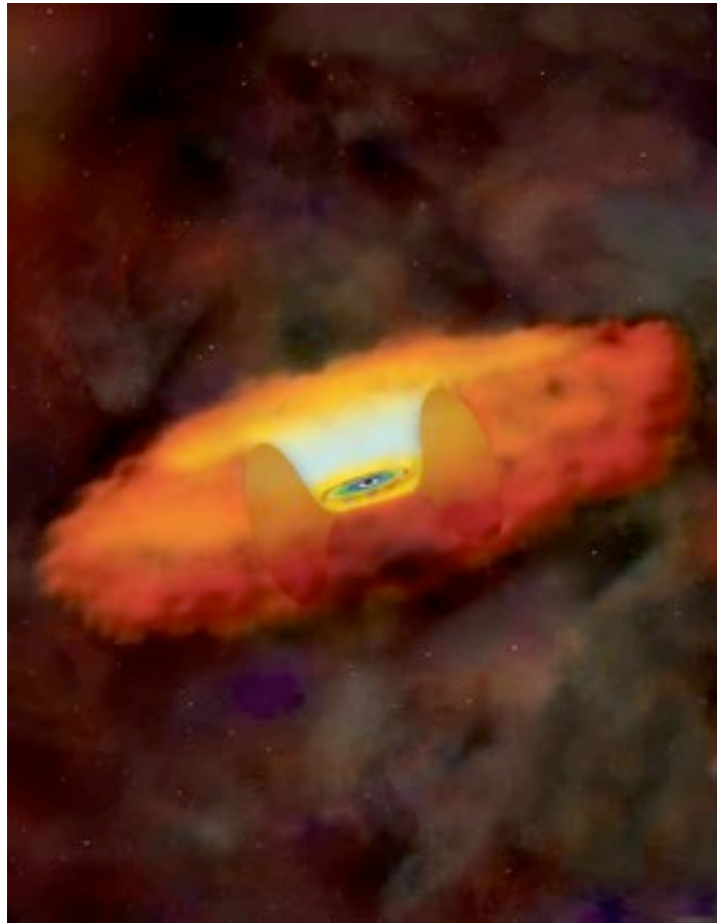
Astrophysical and heliospheric plasmas are magnetized and turbulent, and plasma turbulence almost certainly plays a key role in the heating of the plasma and the acceleration of particles



Explaining the plasma heating and particle acceleration is crucial to understanding the evolution of many poorly understood astrophysical systems



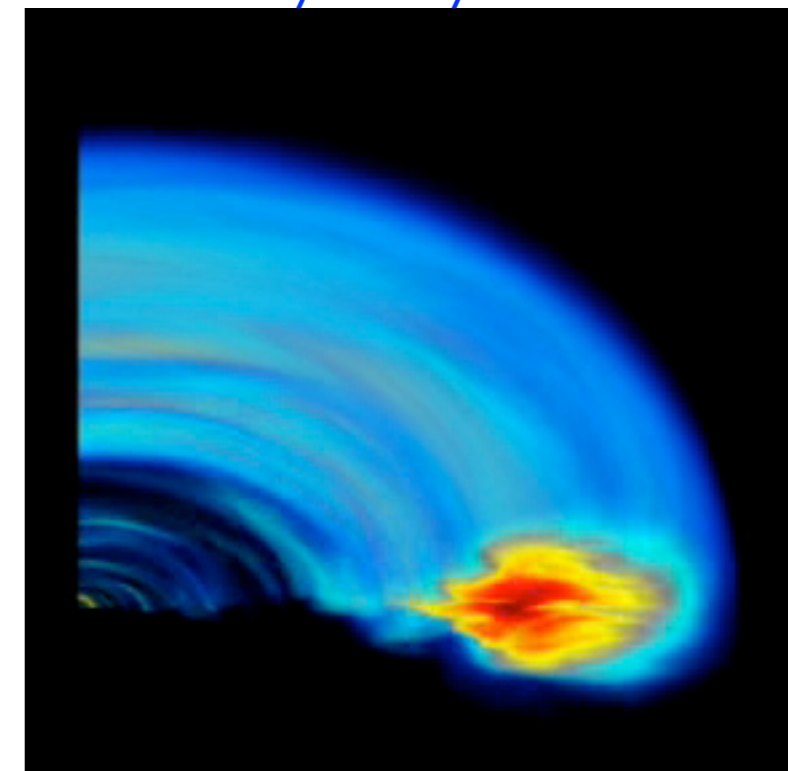
# Black Hole Accretion Disks



NASA/CXC/SAO -Artist's Conception

- Matter spirals into the black hole, converting a tremendous amount of gravitational potential energy into heat
- This occurs via several processes:
  - Magnetorotational Instability (MRI) drives turbulence
  - Turbulence cascades nonlinearly to small scales
  - Kinetic mechanisms damp turbulence and lead to plasma heating

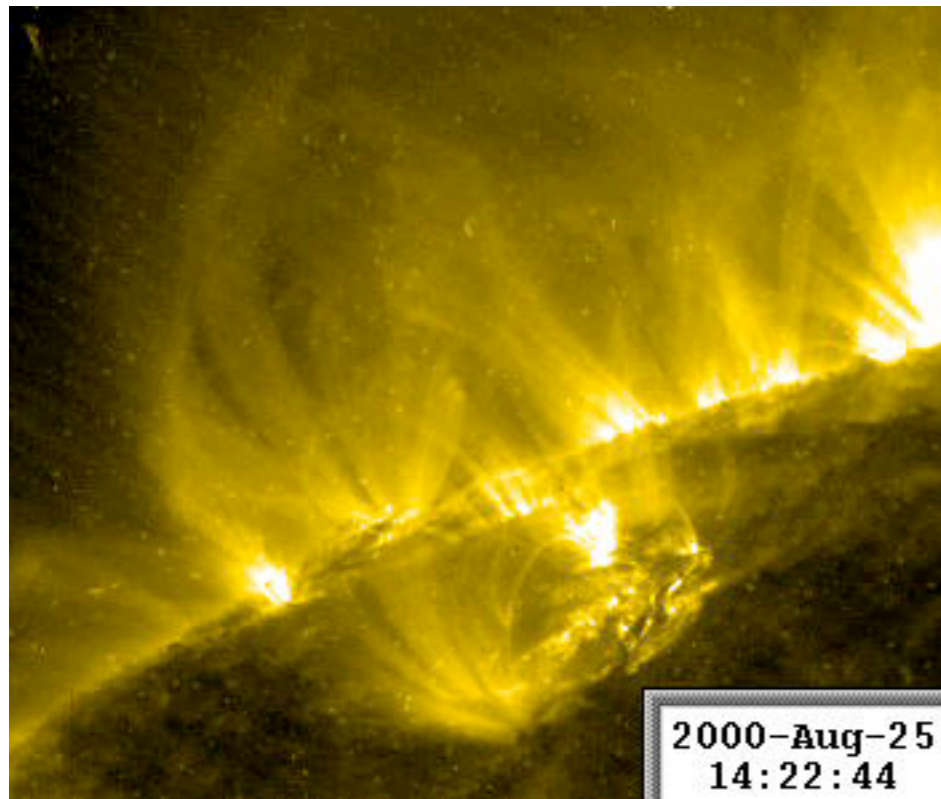
Simulation by Hawley & Balbus 2002



- Radiation emitted is function of plasma heating
- Interpretation of X-ray observations requires understanding of kinetic plasma turbulence and resulting plasma heating

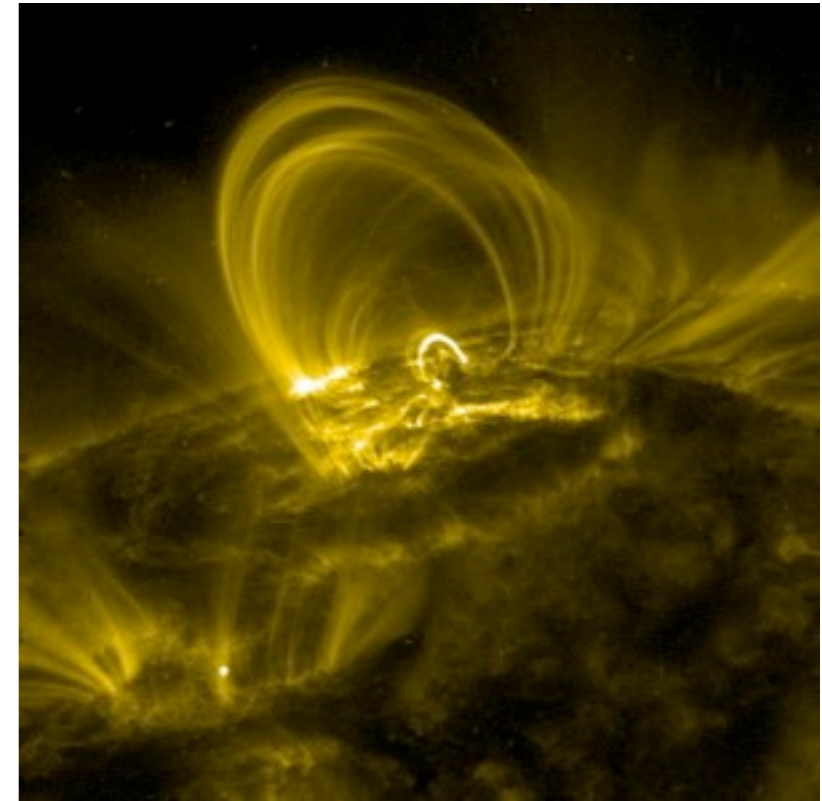
# Solar Corona

- Important processes not well understood:
  - Heating of the Solar Corona
  - Acceleration of the Solar Wind



NASA/TRACE Movie

- Turbulence may play a key role in heating the coronal plasma



NASA/TRACE Image

- Turbulence is driven by
  - Photospheric footpoint motions
  - Magnetic reconnection



# Turbulence in Laboratory Plasmas

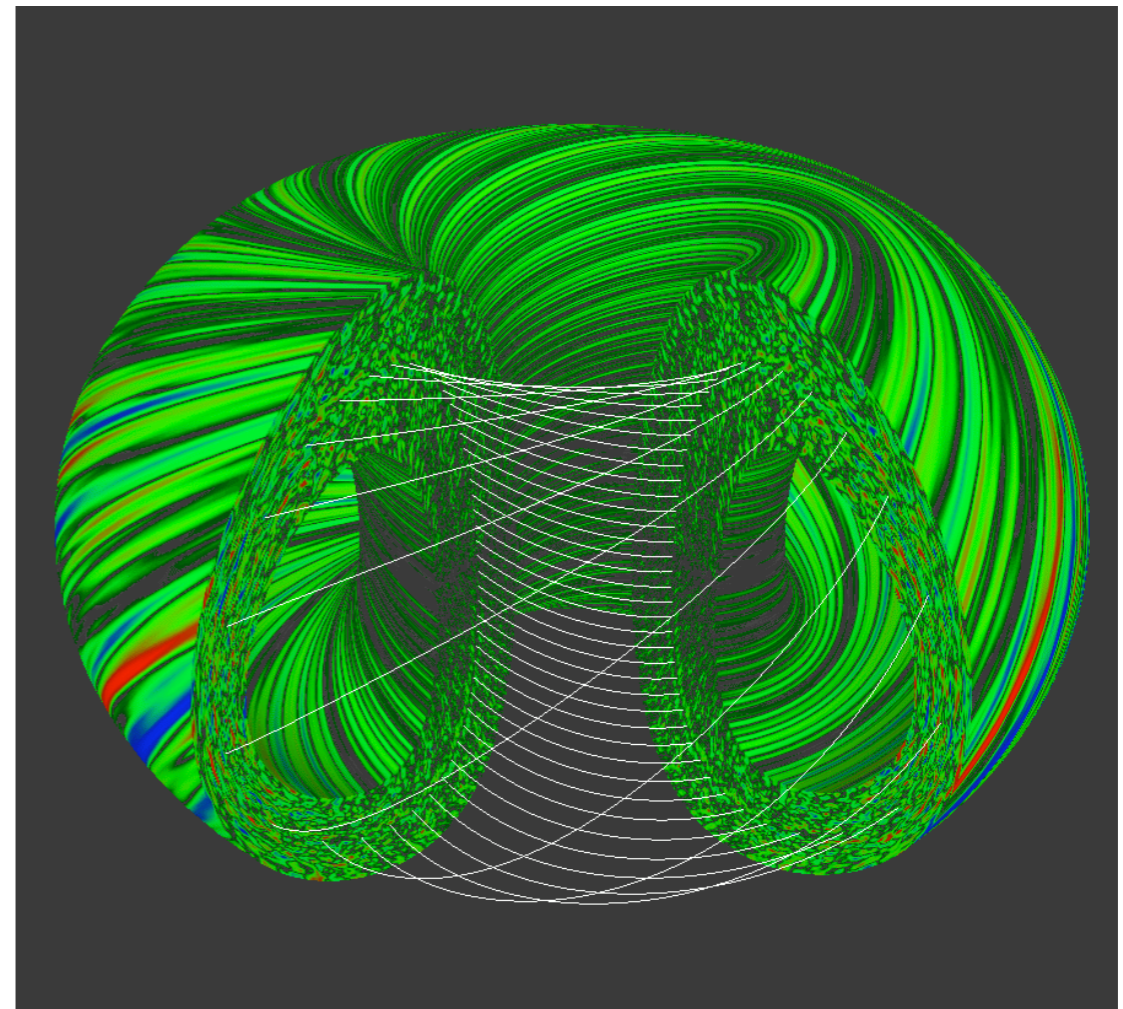
Learning about turbulence in space may help us to better control turbulence in the effort to harness fusion energy

## Magnetic Confinement Fusion



Plasma from START,  
Culham Laboratories, UKAEA

## Gyrokinetic Simulation



Gyrokinetic Plasma Simulation  
(G D Kerbel)

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# Particle Energization in the Solar Wind

- The collisional mean free path in the solar wind is about 1 AU

➔ The solar wind is a weakly collisional plasma

- To study the turbulent dynamics requires kinetic theory

6D (3D-3V) Distribution Functions

$$f_s(\mathbf{x}, \mathbf{v}, t)$$

3D Electromagnetic Fields

$$\mathbf{E}(\mathbf{x}, t)$$

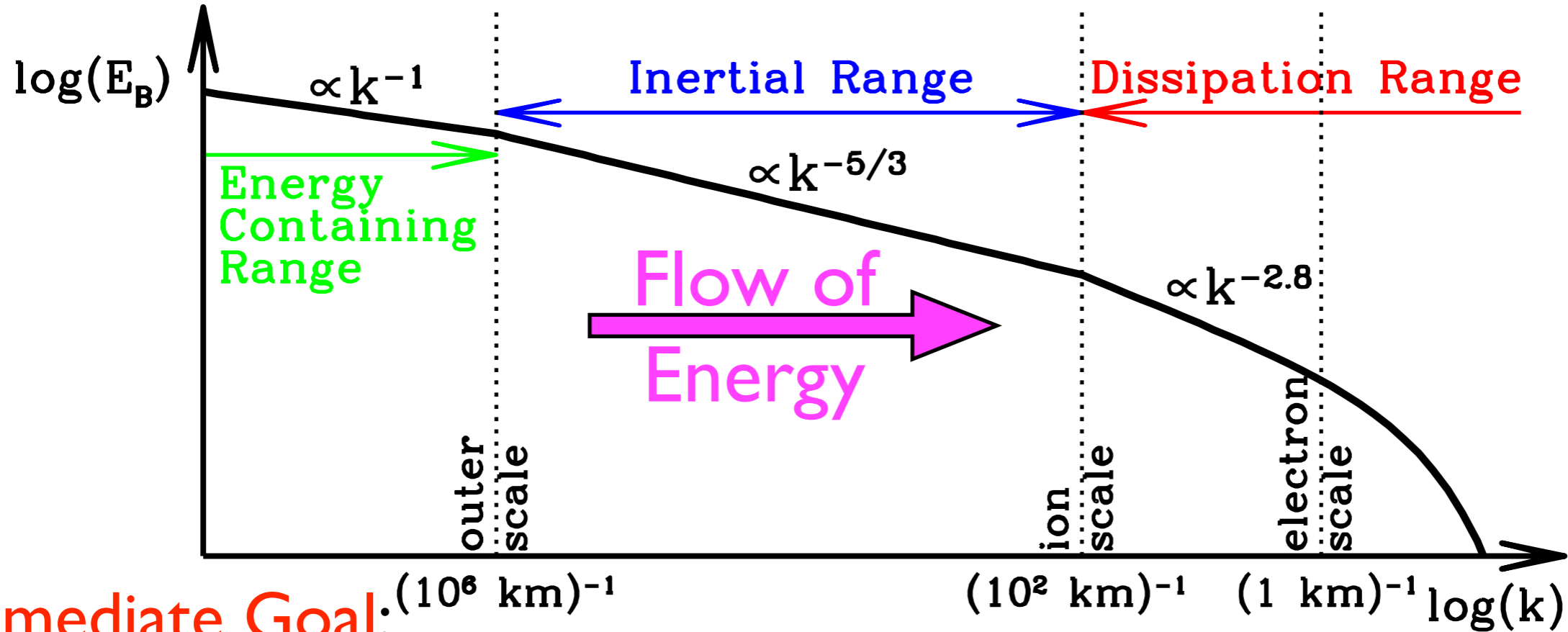
$$\mathbf{B}(\mathbf{x}, t)$$

- Damping of turbulent fluctuations, and the resulting energization of the particles, requires collisionless interactions between the electromagnetic fields and the plasma particles

## FIELD-PARTICLE CORRELATIONS

An innovative technique to measure and characterize the energy transfer associated with collisionless damping of plasma turbulence using single-point measurements

# Turbulence in the Near-Earth Solar Wind



**Immediate Goal:**

To understand the **dynamics** and **energetics** of the entire cascade  
**Flow of energy** from **large scale** turbulent motions to **plasma heat**

## FIELD-PARTICLE CORRELATIONS

(Klein & Howes, ApJL, 826:L30 2016)

- 1) Compute the rate of energy transfer from fields to particles
  - 2) Determine the **velocity-space signature** of energy transfer
- Can be used to distinguish kinetic dissipation mechanism!

# Particle Acceleration

- **Kinetic plasma theory** provides a robust framework to investigate the **acceleration of particles to high energy**
- Fundamentally, **field-particle correlations** can also highlight the energization occurring in **particle acceleration**, but ...
  - fast particle velocities effectively mean the mechanism is **nonlocal**
  - particle measurements at high energy are limited to very **low count rates**
- **Future work** will investigate how **field-particle correlations** can be used to explore **particle acceleration**
  - At the very least, the technique can be used to determine how to **energize the suprathermal seed population** needed for subsequent **Fermi acceleration**

NASA **IMAP** mission (**I**nterstellar **M**apping and **A**cceleration **P**robe)



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# Maxwell-Boltzmann Equations of Kinetic Plasma Theory

## Boltzmann Equation

$$\frac{\partial f_s}{\partial t} + \mathbf{v} \cdot \nabla f_s + \frac{q_s}{m_s} \left[ \mathbf{E} + \frac{\mathbf{v} \times \mathbf{B}}{c} \right] \cdot \frac{\partial f_s}{\partial \mathbf{v}} = \left( \frac{\partial f_s}{\partial t} \right)_{\text{coll}}$$

## Maxwell's Equations

$$\nabla \times \mathbf{E} = \frac{1}{c} \frac{\partial \mathbf{B}}{\partial t}$$

$$\nabla \cdot \mathbf{E} = 4\pi \rho_q$$

$$\nabla \times \mathbf{B} = \frac{4\pi}{c} \mathbf{j} + \frac{1}{c} \frac{\partial \mathbf{E}}{\partial t}$$

$$\nabla \cdot \mathbf{B} = 0$$

Lorentz Term responsible for interactions between fields and particles

But the Lorentz term not only describes collisionless damping, but also the oscillating energy transfer of undamped wave motion

Define:

Secular Energy Transfer



Key Challenge:

We want to measure this

Oscillating Energy Transfer



But this is often much larger

# 1D-1V Vlasov-Poisson Equations

## Vlasov-Poisson Equations

## Distribution Function

$$\frac{\partial f_s}{\partial t} + v \frac{\partial f_s}{\partial x} - \frac{q_s}{m_s} \frac{\partial \phi}{\partial x} \frac{\partial f_s}{\partial v} = 0$$

$$\frac{\partial^2 \phi}{\partial x^2} = -4\pi \sum_s \int_{-\infty}^{+\infty} dv q_s f_s$$

$$f_s(x, v, t)$$

## Electrostatic Potential

$$\phi(x, t)$$

$$E = -\frac{\partial \phi}{\partial x}$$

Electrostatic Limit of  
Poynting's Theorem

$$\frac{\partial}{\partial t} \left( \frac{E^2}{8\pi} \right) = -jE$$

## Conserved Vlasov-Poisson Energy

$$W = \int_{-L}^L dx \frac{E^2}{8\pi} + \sum_s \int_{-L}^L dx \int_{-\infty}^{\infty} dv \frac{1}{2} m_s v^2 f_s$$

# Change of Particle Energy

Particles gain energy lost  
by the electric field

$$\sum_s \frac{\partial W_s}{\partial t} = - \frac{\partial W_\phi}{\partial t}$$

where the change in particle microscopic kinetic energy is

$$\frac{\partial W_s}{\partial t} = \int dx \int dv \frac{1}{2} m_s v^2 \frac{\partial f_s}{\partial t}$$

We want to measure the  
change in particle energy ...

... using measurements of the  
change in the distribution function.

Vlasov  
Equation

$$\frac{\partial \delta f_s}{\partial t} = -v \frac{\partial \delta f_s}{\partial x} + \frac{q_s}{m_s} \frac{\partial \phi}{\partial x} \frac{\partial f_{s0}}{\partial v} + \frac{q_s}{m_s} \frac{\partial \phi}{\partial x} \frac{\partial \delta f_s}{\partial v}$$

Ballistic  
Term

Linear Wave-  
Particle Term

Nonlinear Wave-  
Particle Term

# Change of Total Particle Energy

$$f_s(x, v, t) = f_{s0}(v) + \delta f_s(x, v, t)$$

$$\frac{\partial W_s}{\partial t} = \int dx \int dv \frac{1}{2} m_s v^2 \left[ \underbrace{-v \frac{\partial \delta f_s}{\partial x}}_0 + \underbrace{\frac{q_s}{m_s} \frac{\partial \phi}{\partial x} \frac{\partial f_{s0}}{\partial v}}_0 + \frac{q_s}{m_s} \frac{\partial \phi}{\partial x} \frac{\partial \delta f_s}{\partial v} \right]$$

Perfect Differential      Perfect Differential

## Rate of Change of Particle Energy

$$\frac{\partial W_s}{\partial t} = - \int dx \int dv q_s \frac{v^2}{2} \frac{\partial \delta f_s(x, v, t)}{\partial v} E(x, t)$$

But this is integrated over velocity and space.

Not observationally accessible!

# Change of Particle Energy in Phase Space

Define:

**Phase-space energy density**  $w_s(x, v, t) = \frac{1}{2} m_s v^2 f_s(x, v, t)$

Multiply Vlasov by  $\frac{1}{2} m_s v^2$  but *do not integrate*

$$\frac{\partial w_s(x, v, t)}{\partial t} = -\frac{1}{2} m_s v^3 \frac{\partial \delta f_s}{\partial x} - q_s \frac{v^2}{2} \frac{\partial f_{s0}(v)}{\partial v} E(x, t) - q_s \frac{v^2}{2} \frac{\partial \delta f_s(x, v, t)}{\partial v} E(x, t)$$

How do we isolate the physics responsible for the energy transfer?

Take a correlation of  $-q_s \frac{v^2}{2} \frac{\partial \delta f_s}{\partial v}$  and  $E$

$$C_1(v, t, \tau) = C_\tau \left( -q_s \frac{v^2}{2} \frac{\partial \delta f_s(x_0, v, t)}{\partial v}, E(x_0, t) \right)$$

# Field-Particle Correlations

$$C_1(v, t, \tau) = C_\tau \left( -q_s \frac{v^2}{2} \frac{\partial \delta f_s(x_0, v, t)}{\partial v}, E(x_0, t) \right)$$

Benefits of this novel field-particle correlation technique:

## 1) Energy Transfer Calculation:

- Unnormalized correlation **directly calculates energy transfer**
- Can be used with **single-point measurements**

## 2) Velocity dependence of particle energization:

- Will highlight the resonant nature of mechanism
- Each mechanism will have a **distinct velocity-space signature**
  - Landau Damping, Transit Time Damping, Cyclotron Damping
  - Stochastic Ion Heating
  - Collisionless Magnetic Reconnection
- **Properties of velocity-space signature can distinguish mechanism**



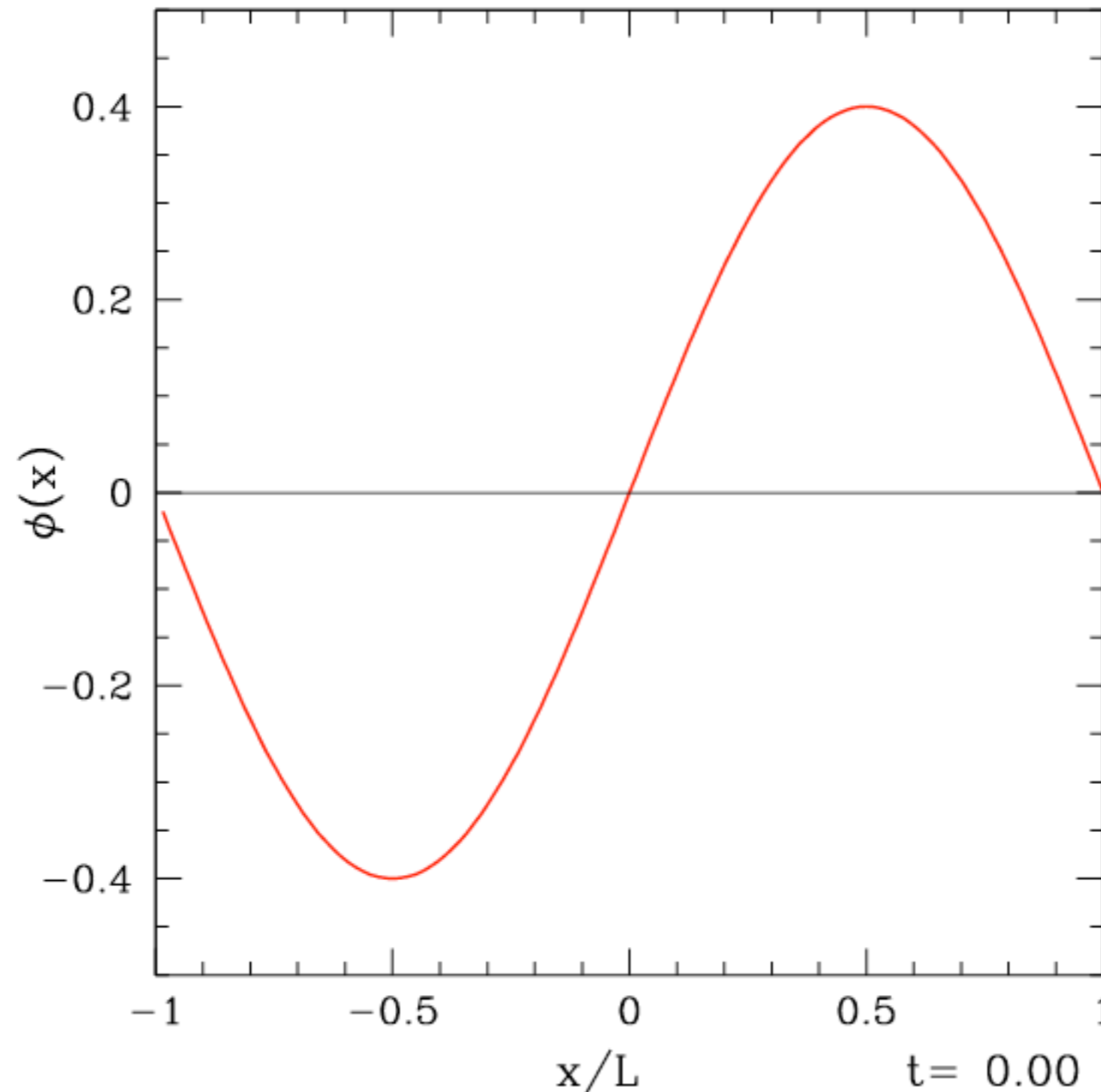
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# Simulation Setup

## Sinusoidal Electron Density Perturbation

Generates a standing Langmuir wave pattern that damps in time

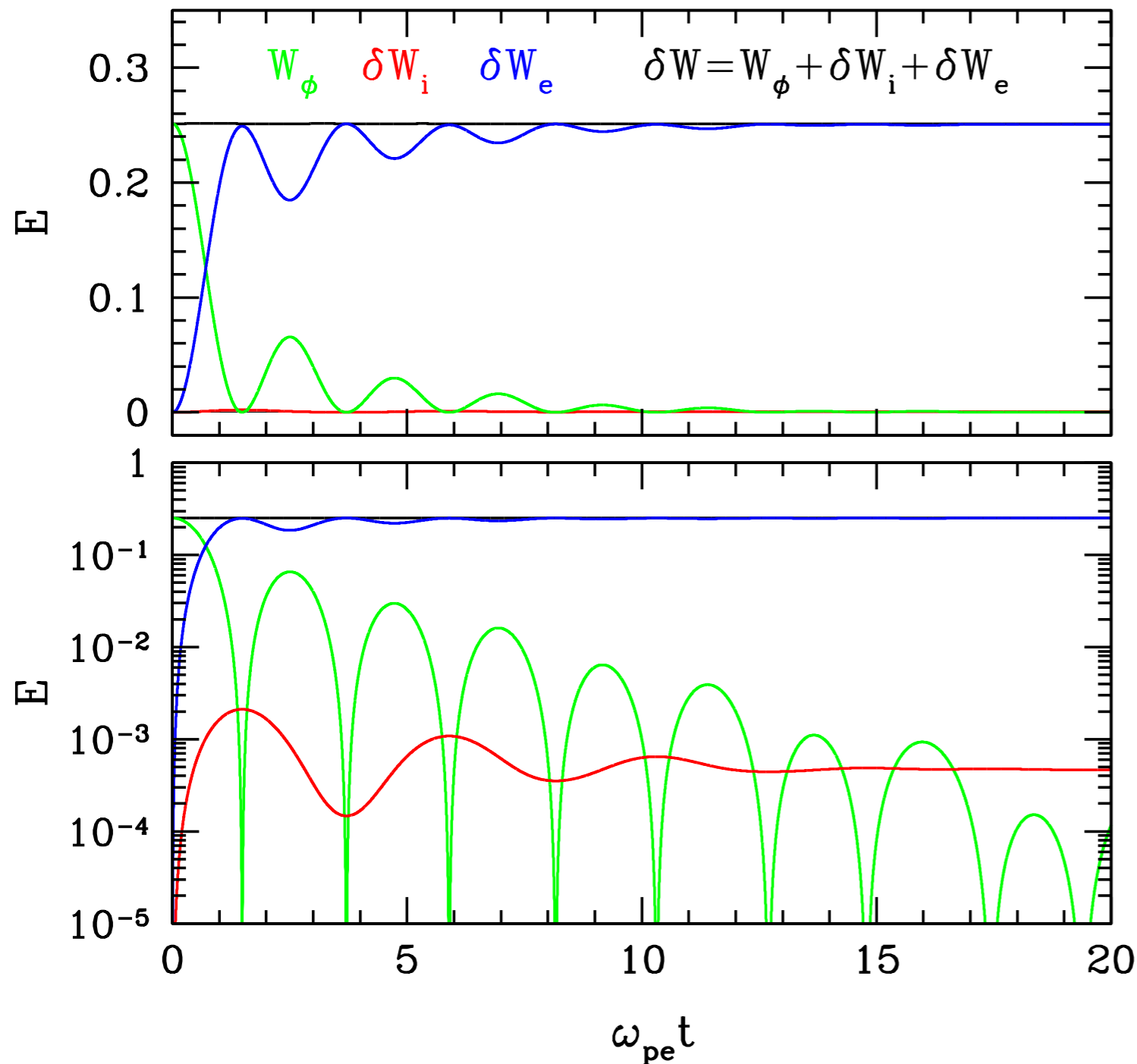


$$k\lambda_{de} = 0.5$$

$$\frac{m_i}{m_e} = 100$$

# Numerical Simulation of Landau Damping

Nonlinear Vlasov-Poisson simulation of the Landau damping of a Standing Langmuir Wave pattern



Electrostatic Field Energy

$$\delta W_\phi = \int dx \frac{E^2}{8\pi}$$

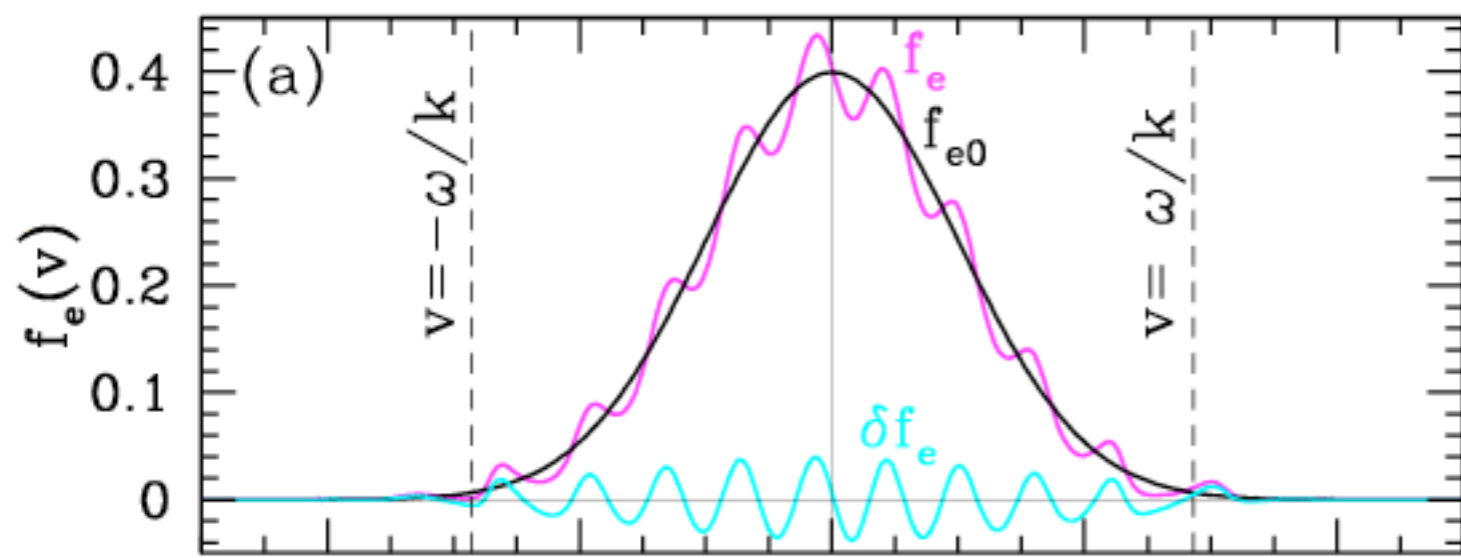
is converted to

Microscopic electron kinetic energy

$$\delta W_e = \int dv \frac{1}{2} m_e v^2 \delta f_e$$

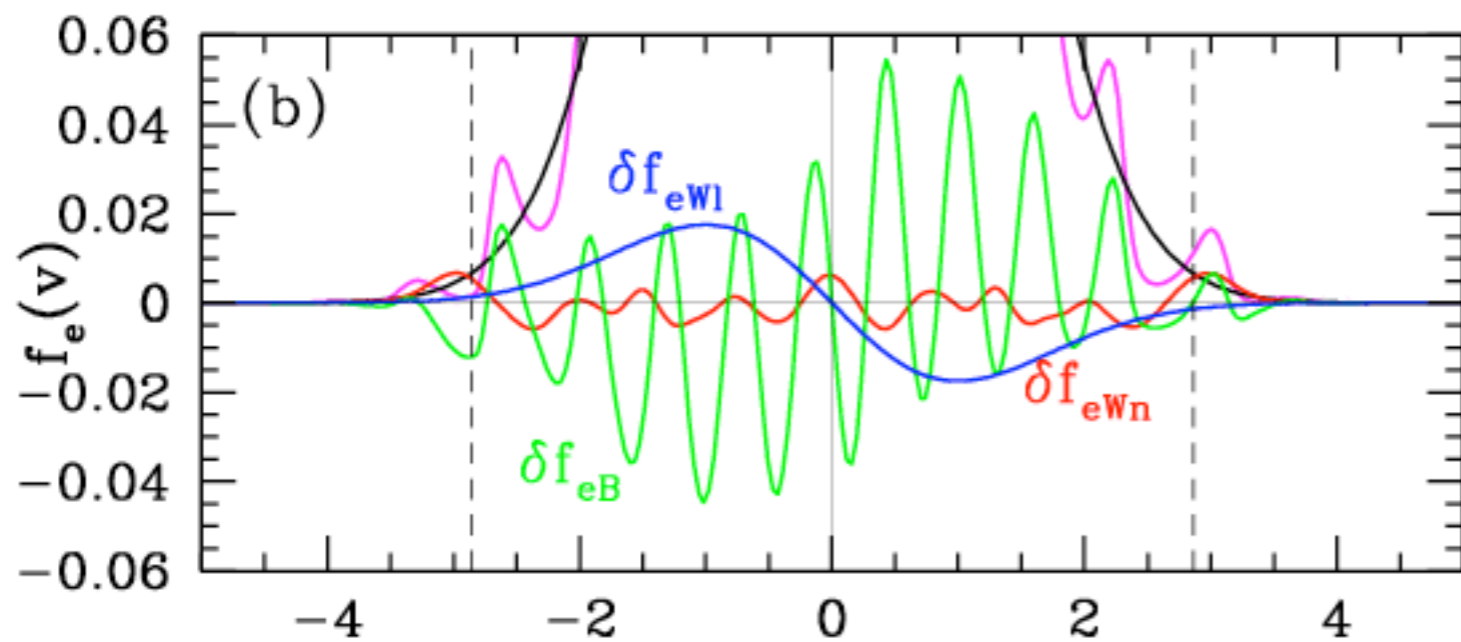
# Time Evolution of $f_e(x_0, v, t)$

## Fluctuations of Distribution Function in time



Total  $f_e(x_0, v, t)$

Perturbed  $\delta f_e(x_0, v, t)$



Ballistic Term

$\delta f_{eB}(x_0, v, t)$

Linear Wave-Particle Term

$\delta f_{eWl}(x_0, v, t)$

Nonlinear Wave-Particle Term

$\delta f_{eWn}(x_0, v, t)$

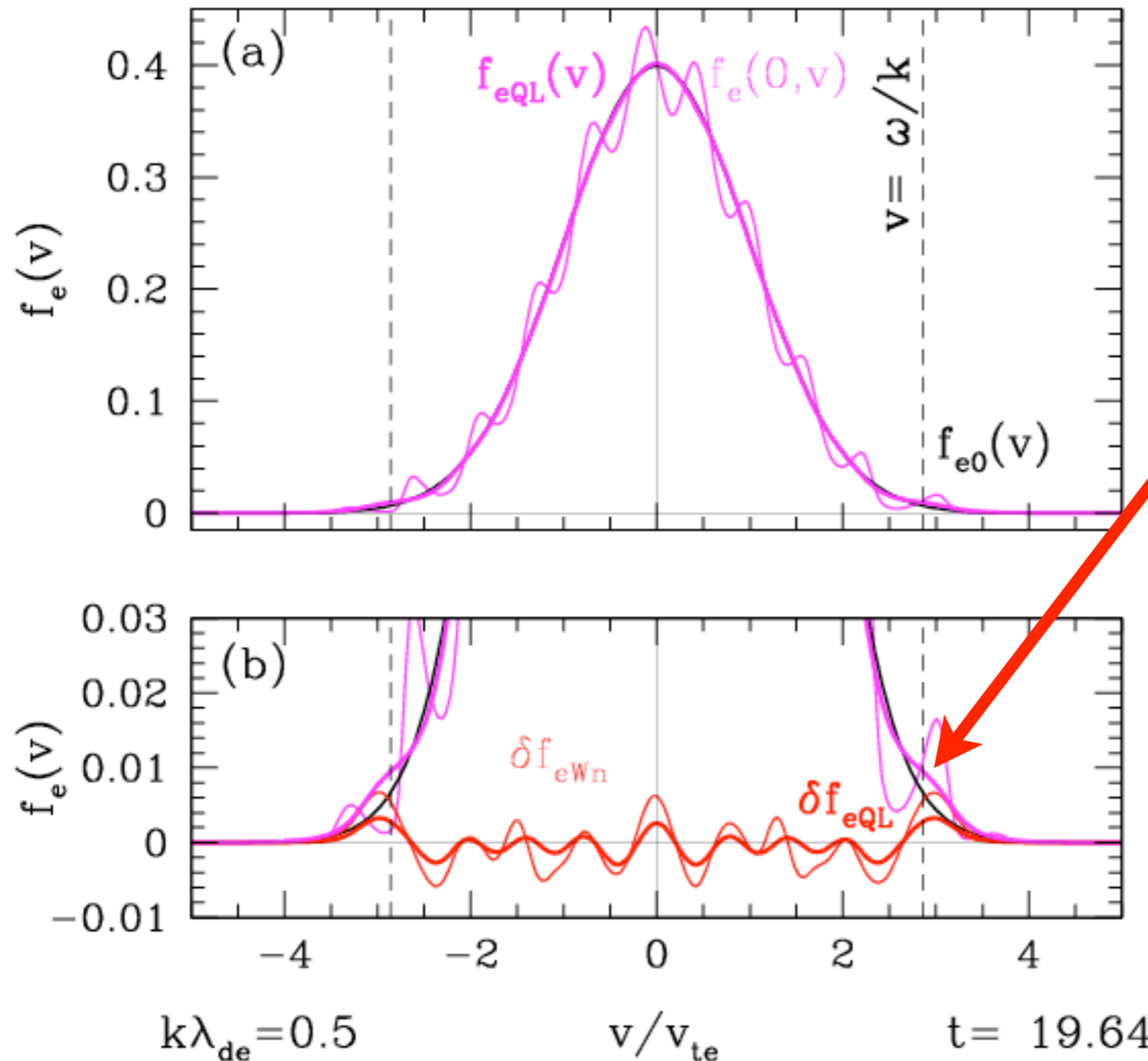
$k\lambda_{de} = 0.5$

$v/v_{te}$

$t = 19.64$

# Quasilinear Evolution

Integrating  $\int dx$  yields quasilinear evolution of  $f_{eQL}(v, t)$

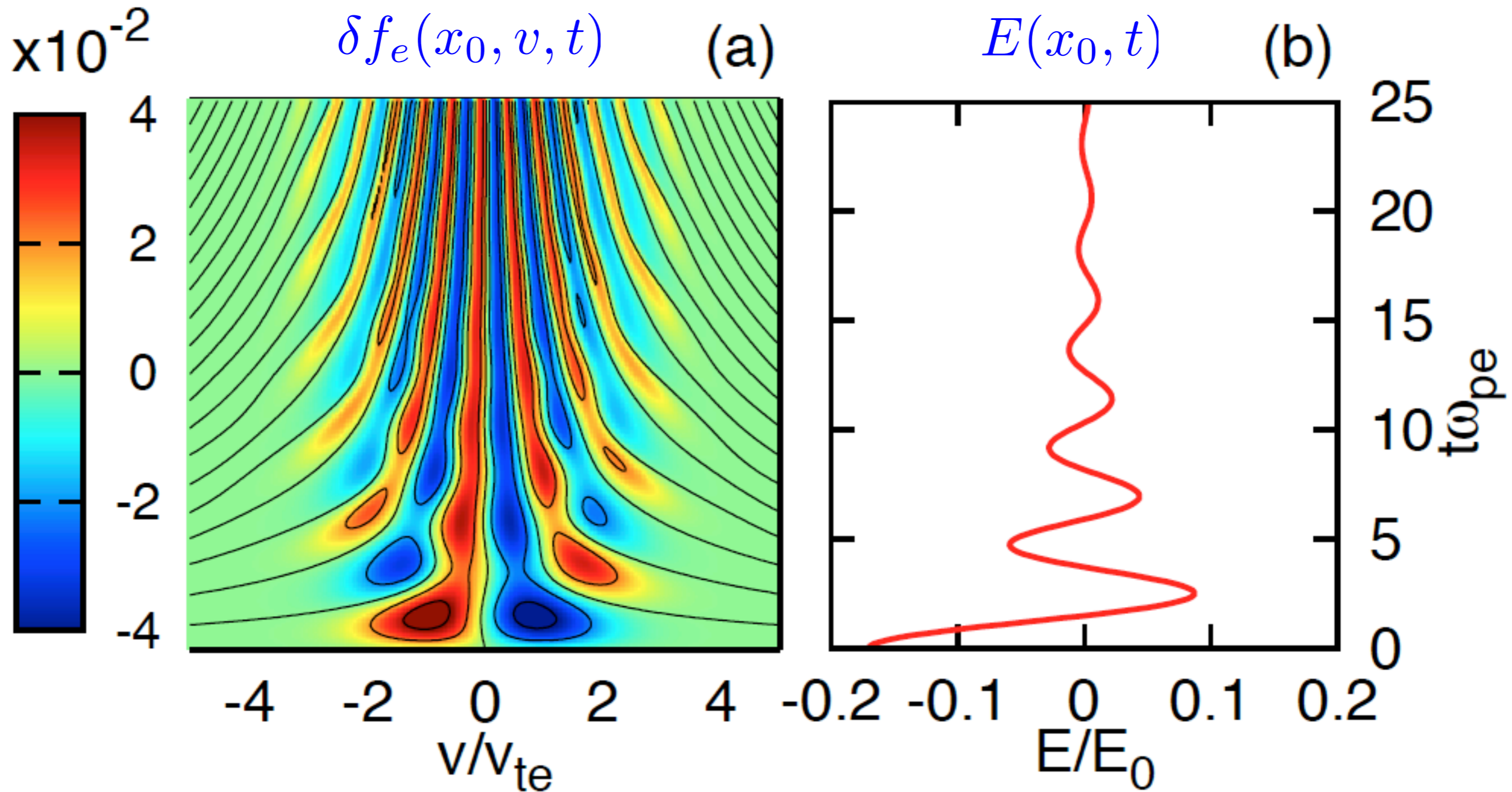


Quasilinear  
Flattening of the  
Distribution  
Function

Compare quasilinear  $\delta f_{eQL}(v, t)$  with  $\delta f_{eWn}(x_0, v, t)$

# Observable Quantities

Single-point measurements of  $\delta f_e(x_0, v, t)$  and  $E(x_0, t)$

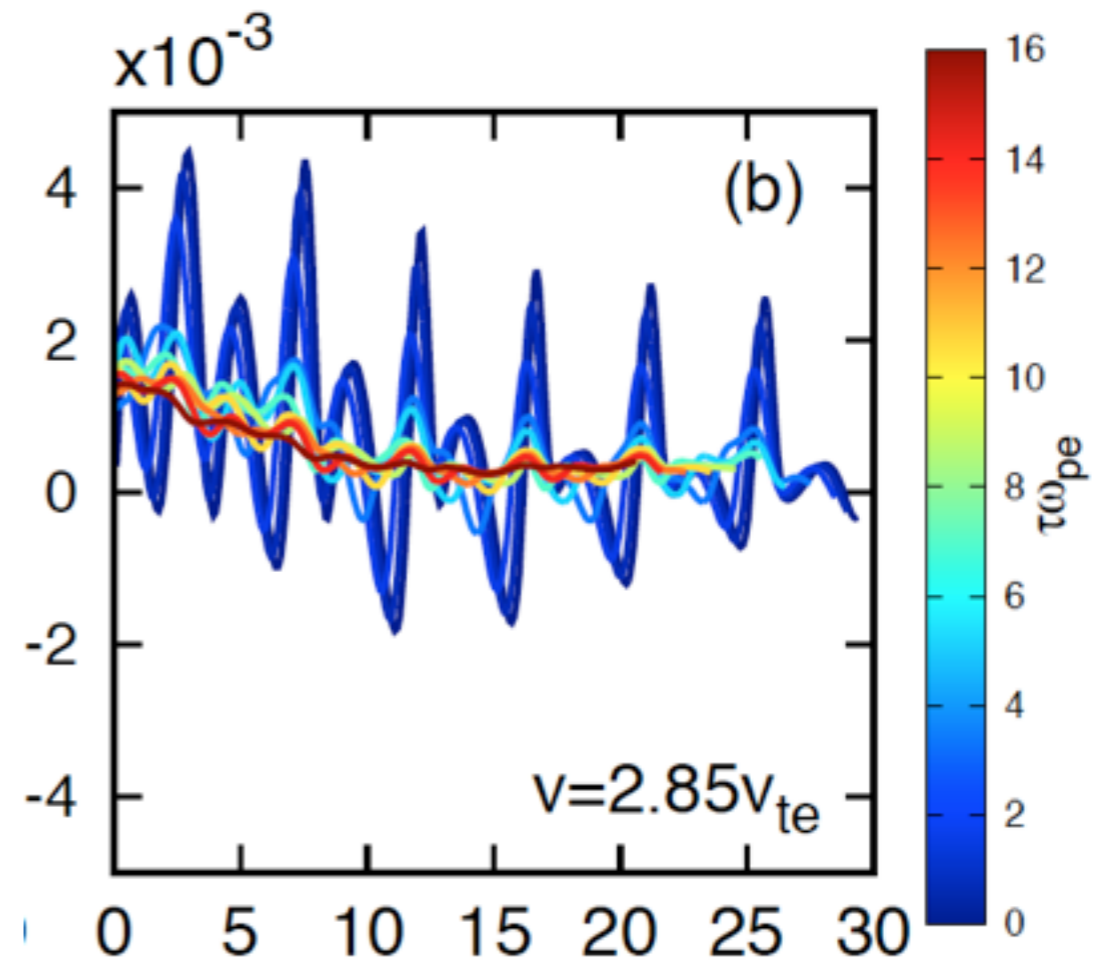
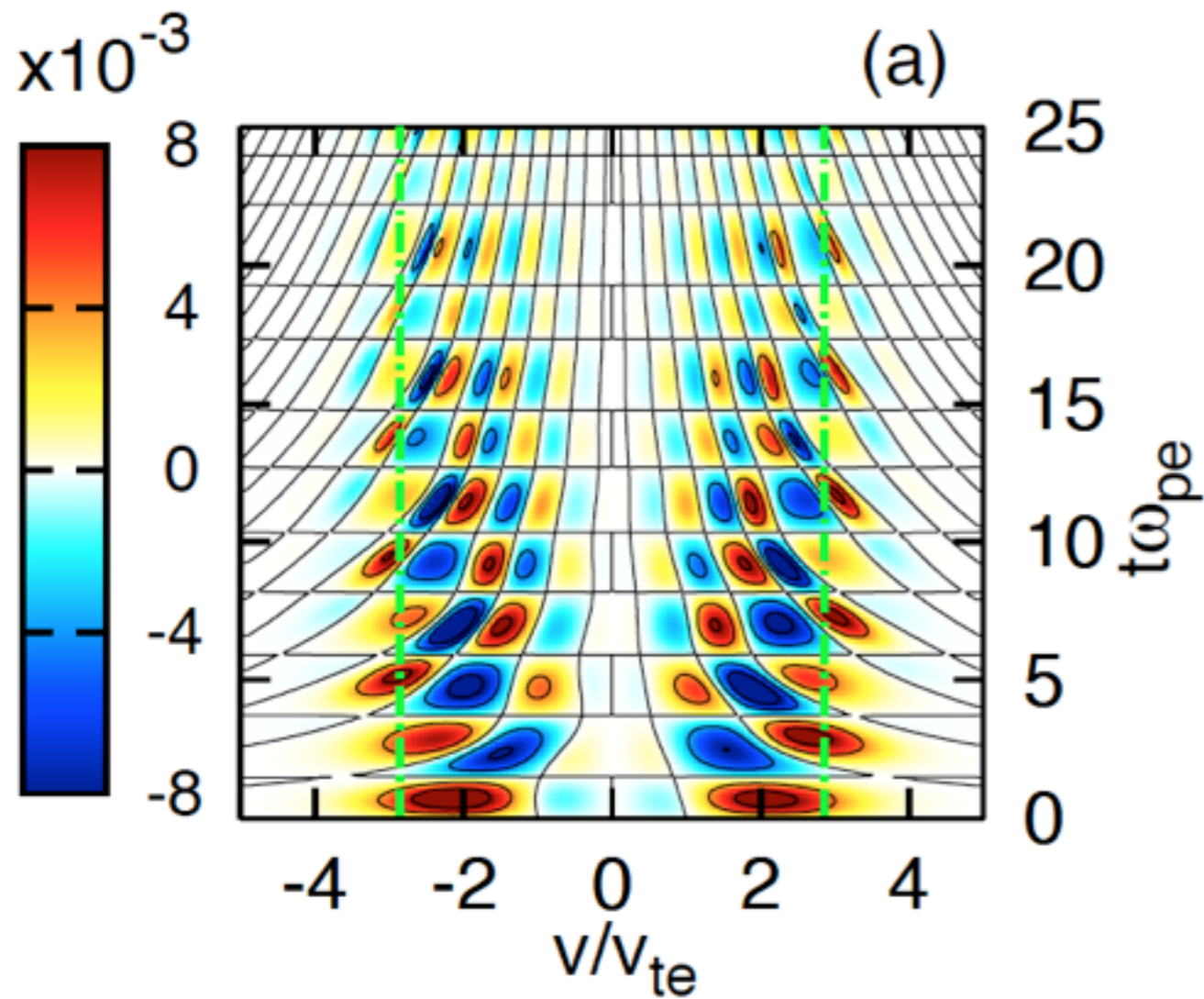




# Correlation Eliminates Oscillation

$$-q_s \frac{v^2}{2} \frac{\partial \delta f_s(x_0, v, t)}{\partial v} E(x_0, t)$$

$$C_1(v, t, \tau) = C_\tau \left( -q_s \frac{v^2}{2} \frac{\partial \delta f_s}{\partial v}, E \right)$$



Wave Period

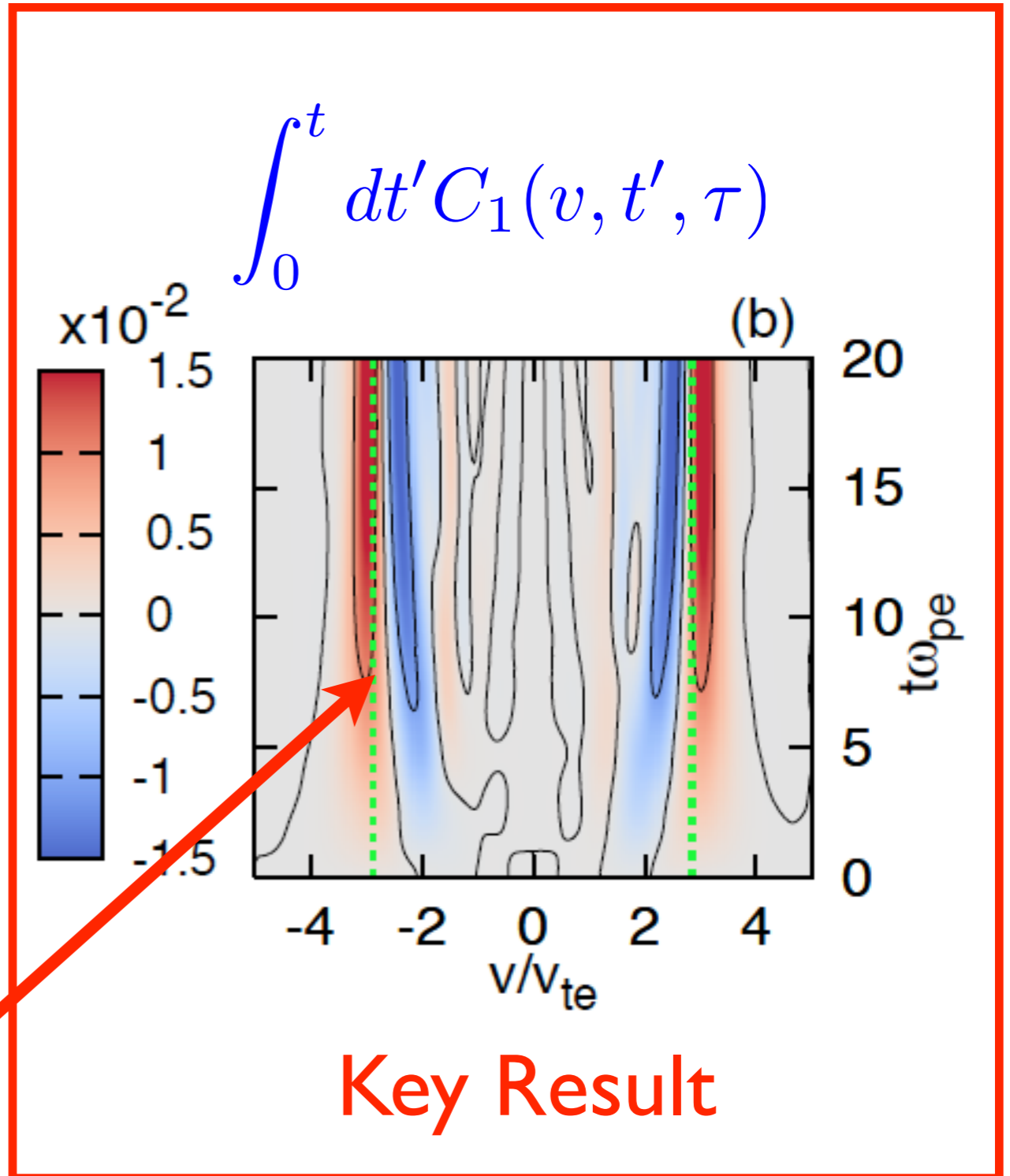
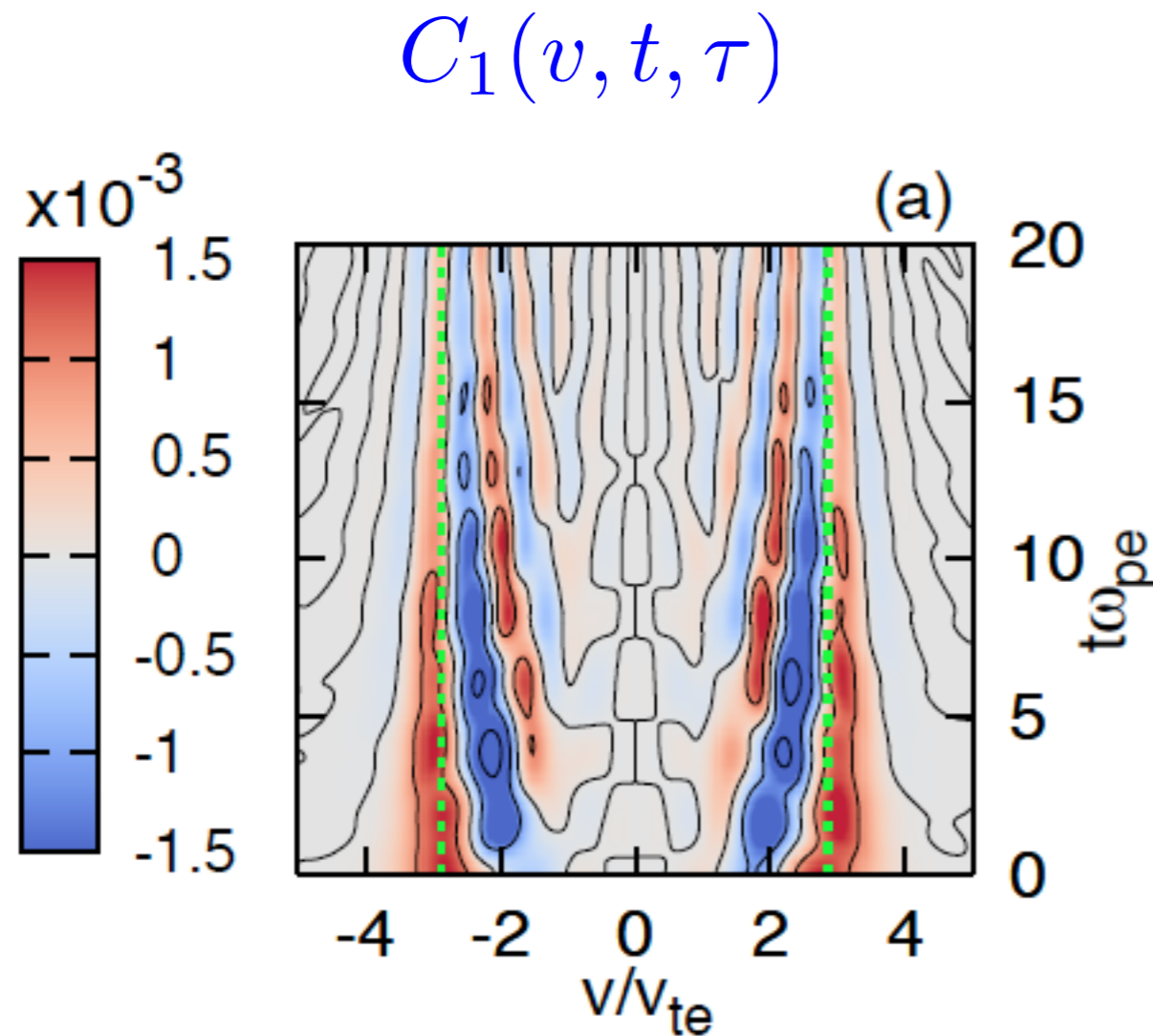
$$T\omega_{pe} = 4.39$$

Increasing correlation time  $\tau$  helps to eliminate oscillation



# Field-Particle Correlation Results

For a correlation time  $\omega_{pe}\tau = 6.28$



Velocity-space signature of  
quasilinear flattening ...

but from single-point measurements!

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# Physical Dissipation Mechanisms for Kinetic Turbulence

In the weakly collisional solar wind,

Three mechanisms have been proposed:

(1) **Coherent Wave-Particle Interactions**

(Landau damping, transit-time damping, cyclotron damping)

(Barnes 1966; Coleman 1968; Denskat *et al.*, 1983; Isenberg & Hollweg 1983; Goldstein *et al.* 1994; Quataert 1998; Leamon *et al.*, 1998, 1999, 2000; Gary 1999; Quateart & Gruzinov, 1999; Isenberg *et al.* 2001; Hollweg & Isenberg 2002; Howes *et al.* 2008; Schekochihin *et al.* 2009; TenBarge & Howes 2013; Howes 2015; Li, Howes, Klein, & TenBarge 2016)

(2) **Incoherent Wave-Particle Interactions** (stochastic ion heating)

(Johnson & Cheng, 2001; Chen *et al.* 2001; White *et al.*, 2002; Voitenko & Goosens, 2004; Bourouaine *et al.*, 2008; Chandran *et al.* 2010; Chandran 2010, Chandran *et al.* 2011; Bourouaine & Chandran 2013)

(3) **Dissipation in Current Sheets** (collisionless magnetic reconnection)

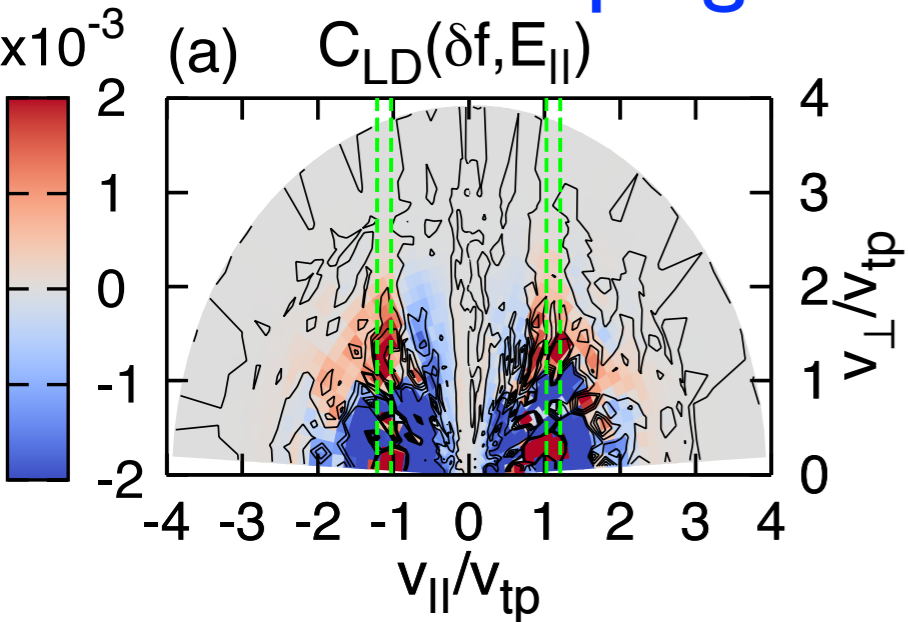
(Dmitruk *et al.* 2004; Markovskii & Vasquez 2011; Matthaeus & Velli 2011; Osman *et al.* 2011; Servidio 2011; Osman *et al.* 2012a,b; Wan *et al.* 2012; Karimabadi *et al.* 2013; Zhdankin *et al.* 2013; Osman *et al.* 2014a,b; Zhdankin *et al.* 2015a,b; )

Form of correlation for each mechanism differs ( $E_{\parallel}$ ,  $\delta B_{\parallel}$ ,  $E_{\perp}$ )

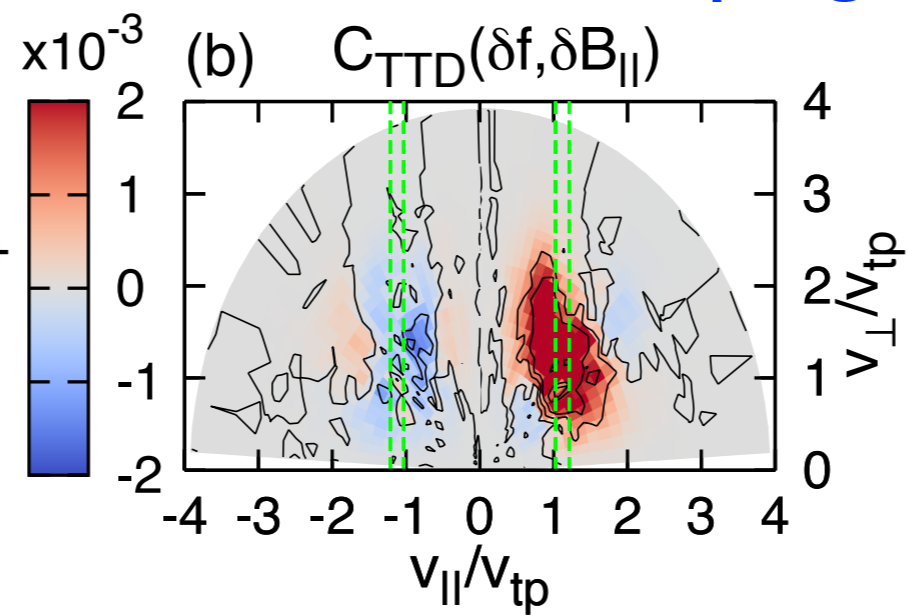
# Applicability to Strongly Turbulent Systems

## AstroGK Simulations

### Landau Damping

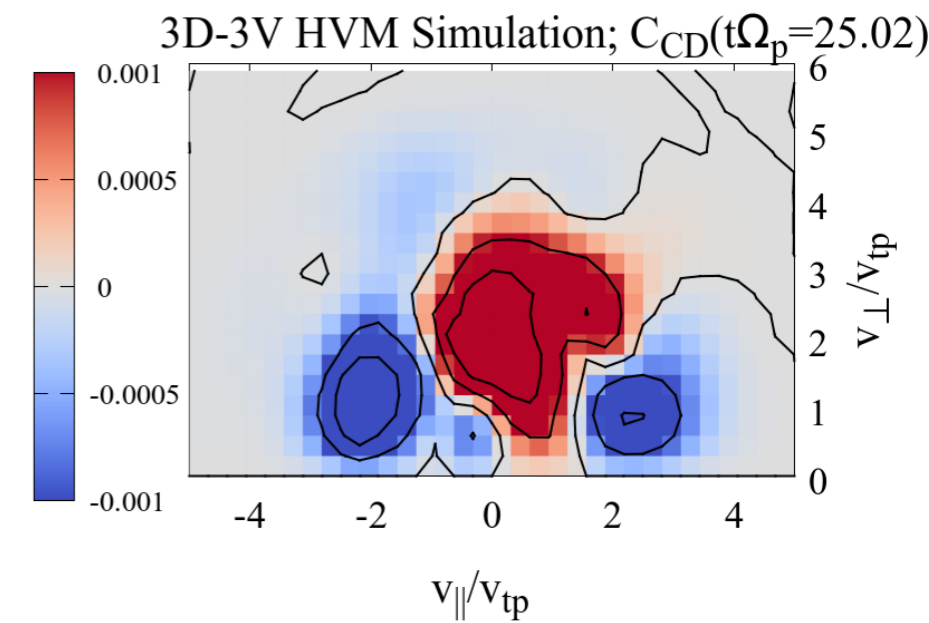


### Transit Time Damping



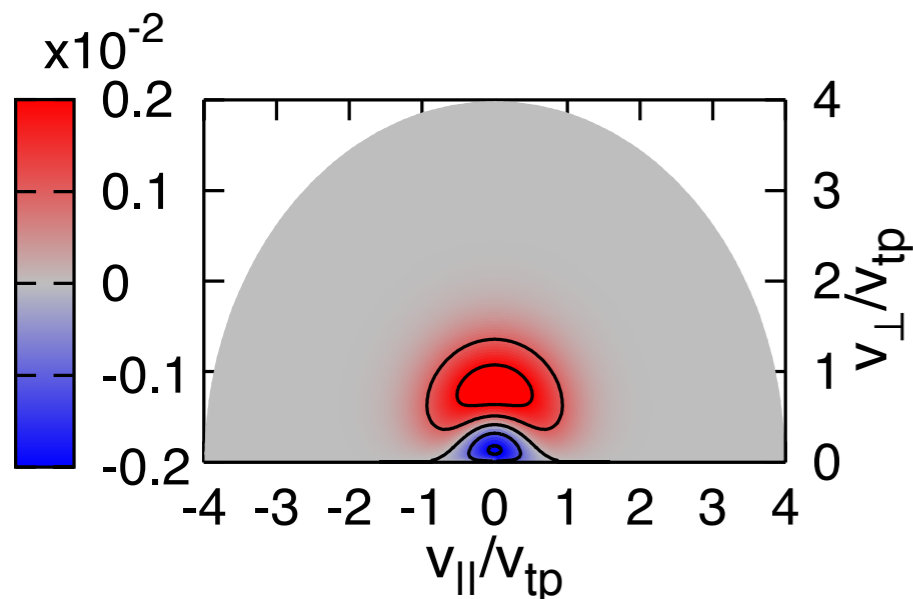
## HVM Simulation

### Cyclotron Damping



## Theoretical Prediction

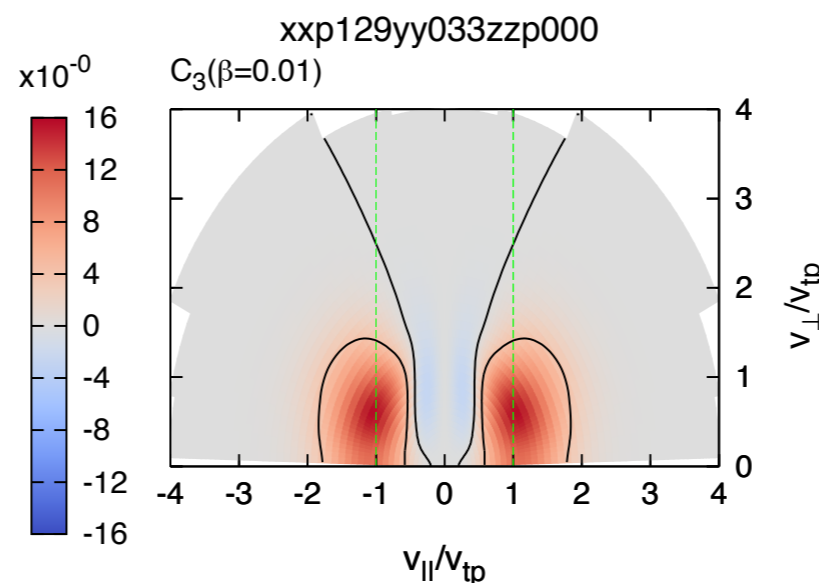
### Stochastic Ion Heating



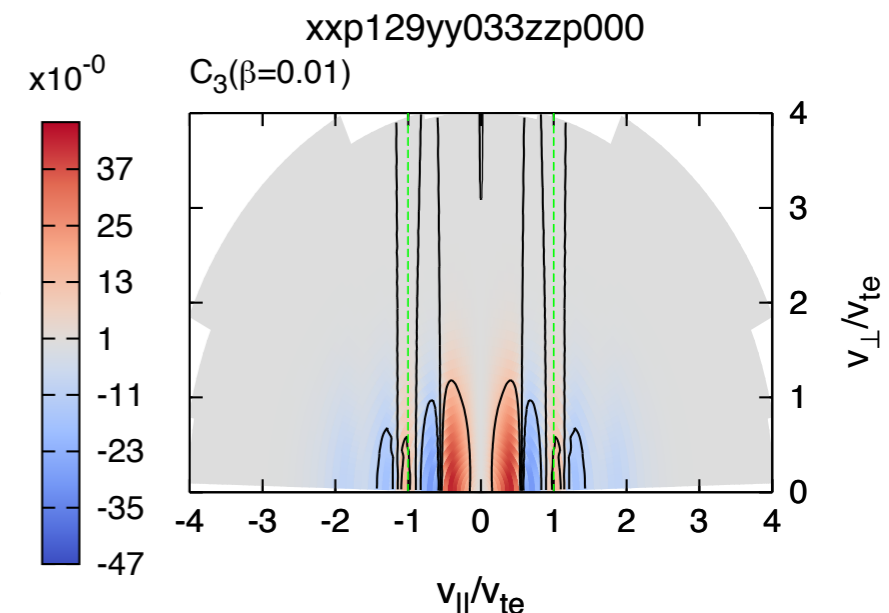
## AstroGK Simulation

### Magnetic Reconnection

### Ions

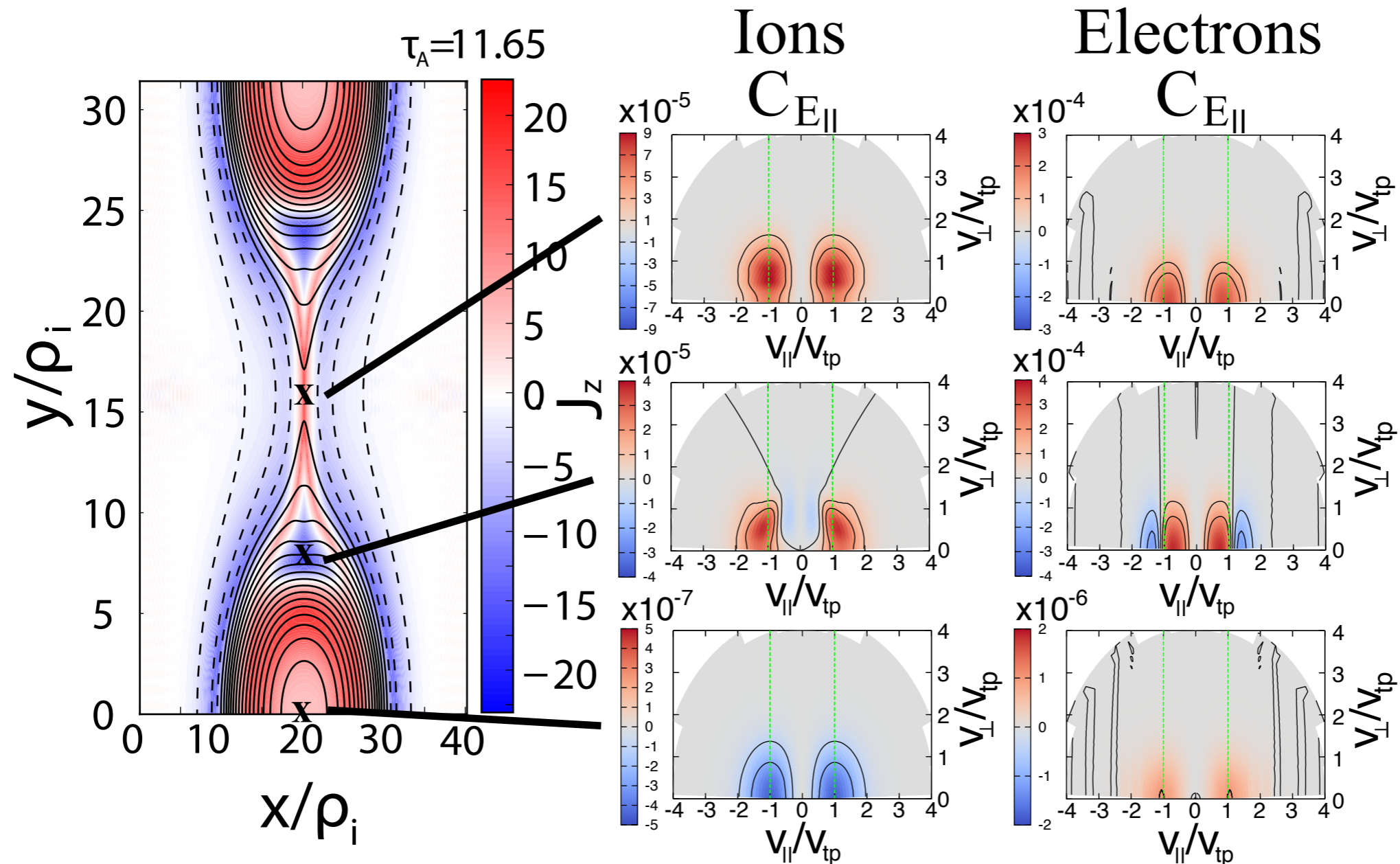


### Electrons



# Magnetic Reconnection

Particle energization varies by spatial position within the reconnection geometry





# Conclusions

- **Challenge:** Measure energy transfer and damping of turbulence in weakly collisional plasmas
  - Must isolate small **secular transfer** from large **oscillating transfer**
- Innovative **Field-Particle Correlation Technique**
  - Uses **single-point** measurements  $\delta f_s(x_0, v, t)$  and  $E(x_0, t)$
  - Provides a **direct measure of energy transfer rate**
- **Key Feature:** Particle energization as a function of velocity
  - **Velocity-space signature** of the collisionless damping mechanism
    - Landau damping, stochastic heating, collisionless reconnection
  - Can be used to **distinguish different damping mechanisms**
- Nonlinear kinetic turbulence simulations show that **different mechanisms indeed have different velocity-space signatures**
- **Future:** Extend technique to explore **particle acceleration**

## **FIELD-PARTICLE CORRELATIONS**

**Powerful new technique to study**

**any particle energization process in astrophysical plasmas**

**END**